## 634.

## THEOREMS IN TRIGONOMETRY AND ON PAR'TITIONS.

[From the Messenger of Mathematics, vol. v. (1876), p. 164, and p. 188.]

IF

$$
A+B+C+F+G+H=0
$$

then

$$
\left.\begin{array}{lll}
\sin \overline{A+F} \sin \overline{B+F} \sin \overline{C+F}, & \cos F, & \sin F \\
\sin \overline{A+G} \sin \overline{B+G} \sin \overline{C+G}, & \cos G, & \sin G \\
\sin \overline{A+H} \sin \overline{B+H} \sin \overline{C+B}, & \cos H, & \sin H
\end{array} \right\rvert\,=0
$$

Let $u_{n}=$ number of partitions of $n$, no part less than 2 , the order attended to ; e.g. if $n=7$, the partitions are $7,52,25,43,34,322,232,223, u_{7}=8$; the series is

$$
\begin{aligned}
& u_{2}=1, \\
& u_{3}=1, \\
& u_{4}=2, \\
& u_{5}=3, \\
& u_{6}=5, \\
& u_{7}=8, \\
& u_{8}=13, \\
& u_{9}=21,
\end{aligned}
$$

where each term is the sum of the next preceding two terms.

